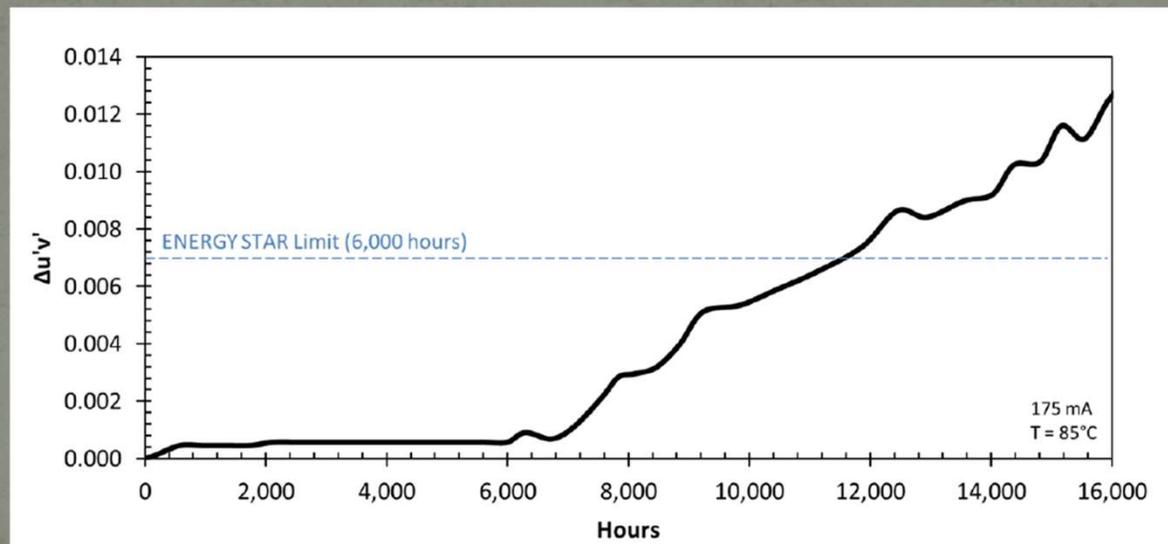# Models for Predicting Color Point Stability

Eric Bretschneider

EB Designs & Technology
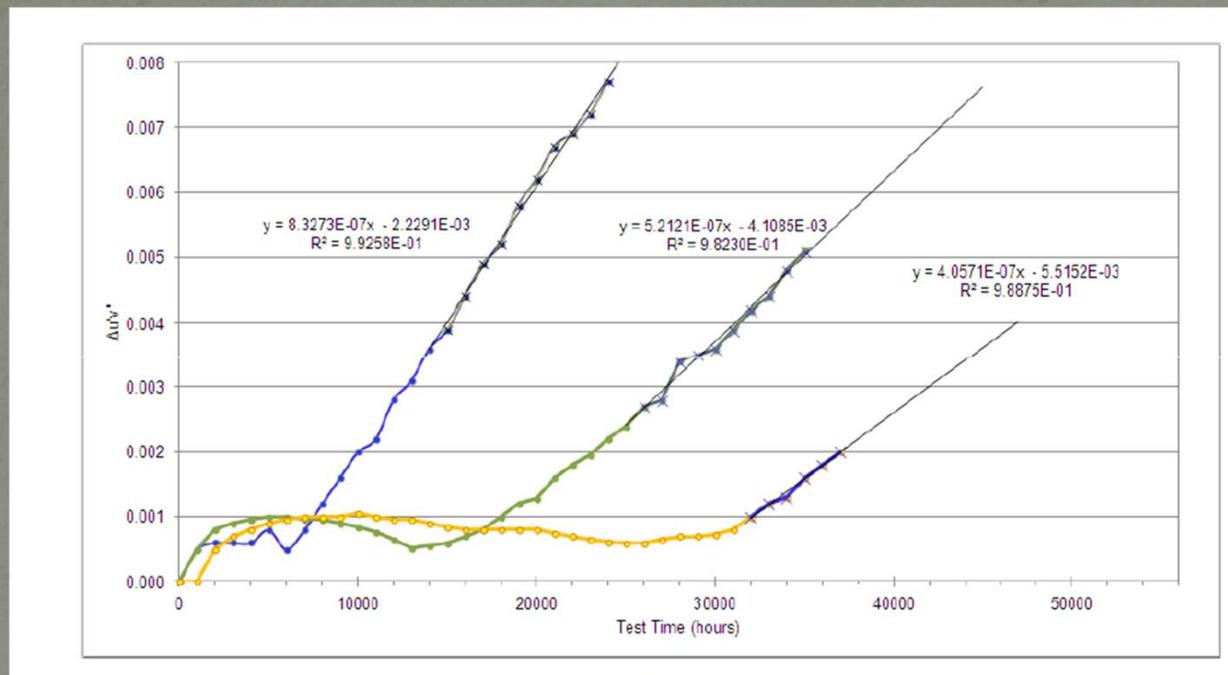
LED Color Point Stability

Current Standard:

- Energy Star: $\Delta u'v' \leq 0.007$ over 6,000 hours

- This is hardly a standard

- Nor is it adequate

Gateway Demonstrations: Color Maintenance in Laboratory and Field Applications

Linear Extrapolation?

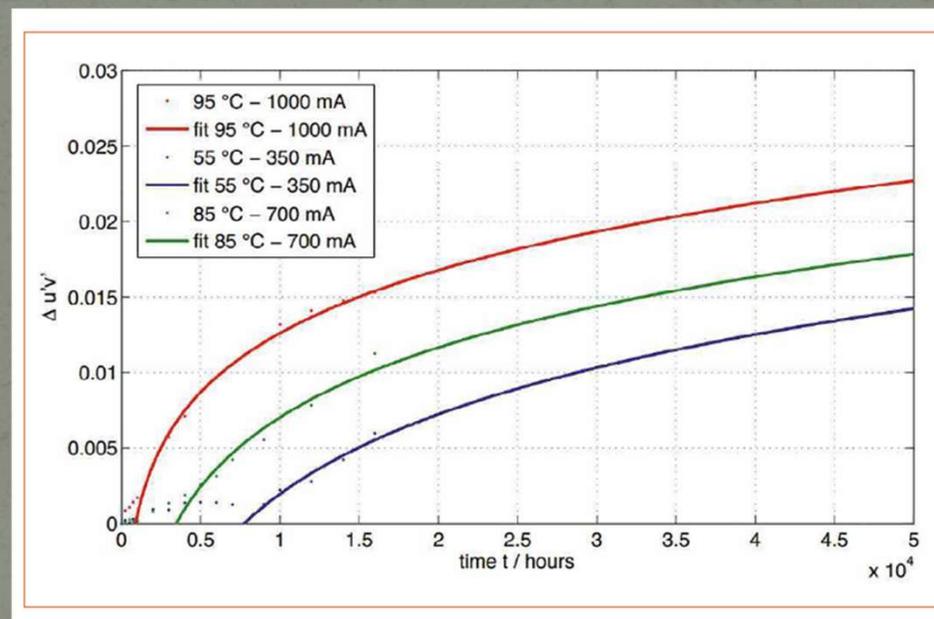- Could simple linear extrapolation work?

R. Tuttle: LED Package Reliability (Color Point Stability) DOE SSL R&D Workshop 2015

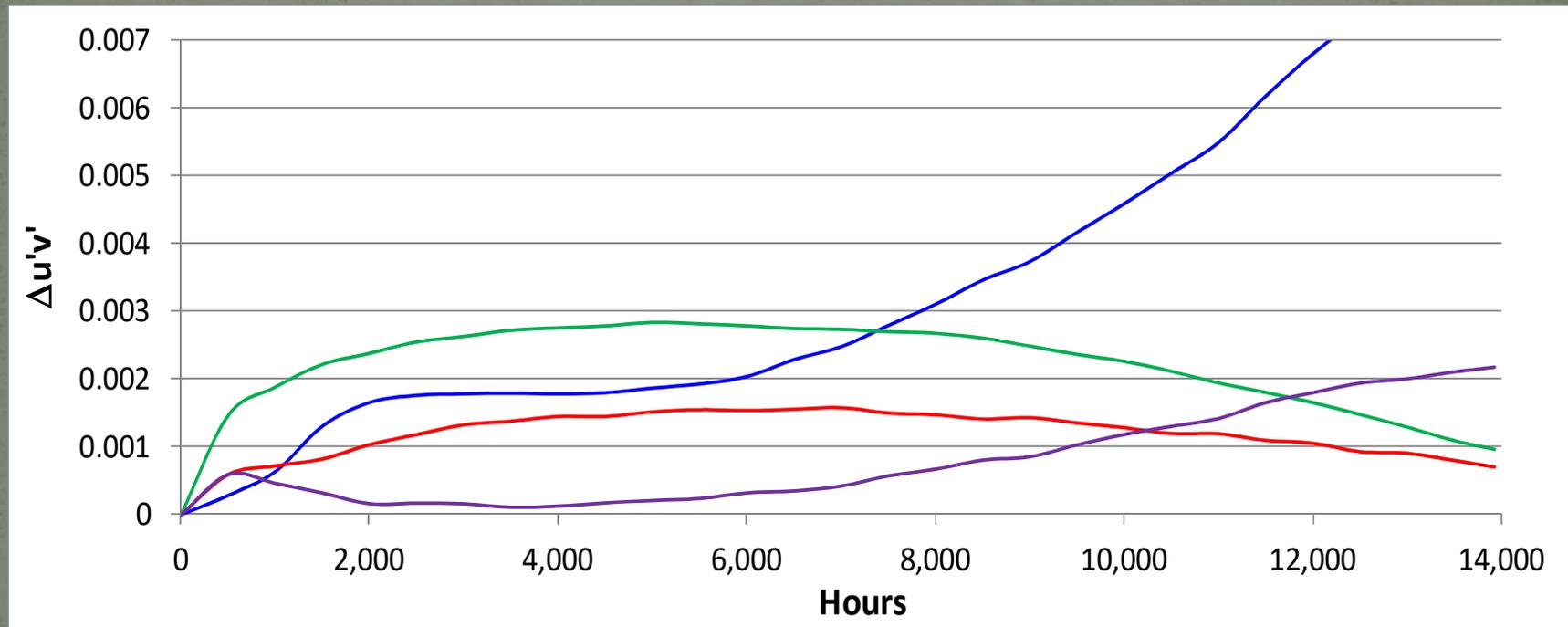. . . only if we are extraordinarily patient

Other Δu'v' Models

- $\Delta u'v'(t) = \Theta(t-d) \cdot a \cdot t^{0.25} + c$
- Requires testing to emergence
- Can not predict decreases in Δu'v'

Wagner et al, <u>Luger Research e.U.</u>, issue 59, 34-28 (2017)
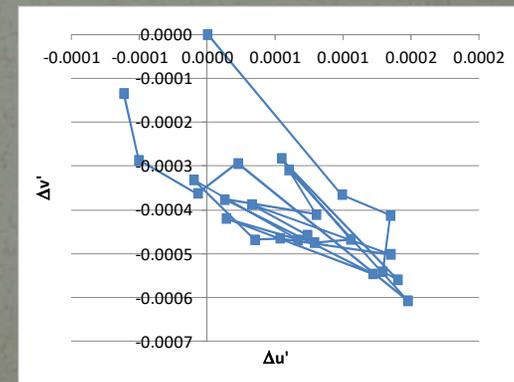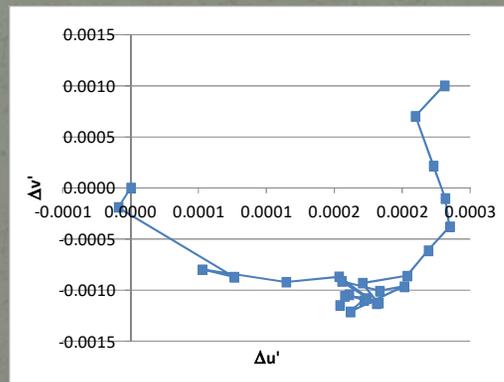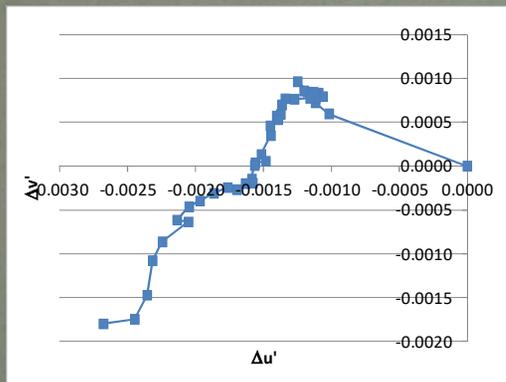
Which LED is the Most Stable?

Early behavior does not predict long term trend

The Color Shift Prediction Challenge

Multiple mechanisms associated with color shift:

- Do we need a model for each mechanism?
- Do we need to know details of package to model?
- CALiPER 20.5 detailed 4 distinct color shift modes
- Color shift behavior can be radically different

Terminology

- **<u>Relative chromaticity ($\delta u'$, $\delta v'$):</u>** chromaticity relative to time = 0
- **<u>Incubation period:</u>** period of time during which the chromaticity shift ($\Delta u'v'$) is essentially constant
- **<u>Emergence:</u>** period of time during which chromaticity shift ($\Delta u'v'$) increases monotonically with time
- **<u>CSn:</u>** Time for an LED to exhibit a chromaticity shift ($\Delta u'v'$) of 0.001 x n
  - **<u>CS_4 = time to $\Delta u'v'$ = 0.004</u>**
  - **<u>CS_7 = time to $\Delta u'v'$ = 0.007</u>**

Going Backwards to Go Forwards

- Chromaticity shift (change in u' and v') is a vector (2-dimensional phenomenon)
- Δu'v' is a scalar metric
- During incubation, chromaticity may be changing even if Δu'v' is constant
- A successful model must include independent models for u' and v'
- (Strictly) linear models will not accurately capture temporal behavior

The Incubation Artifact

- Strong trend after 3,000 hours

- Du'v' ~constant from 2,000 – 5,000 hours

- Predicting emergence requires new models

- And a new approach
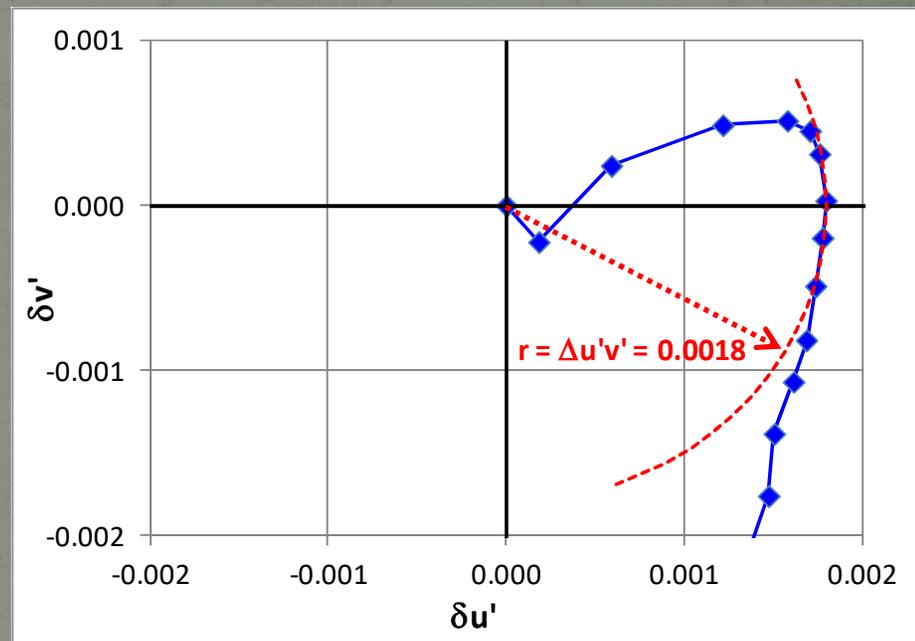
Time Interval = 500 hours

Differential Chromaticity Analysis

- Differential Chromaticity ($\delta\mathbf{u}'^*$, $\delta\mathbf{v}'^*$) is the rate of change in relative chromaticity over a given time interval
  - $\delta u_t'^* = (\delta u'_t - \delta u'_{t-\Delta t})/\Delta t$
  - $\delta v_t'^* = (\delta v'_t - \delta v'_{t-\Delta t})/\Delta t$

- **<u>First Principle</u>:** Differential chromaticity is a linear function of time

- **<u>Second Principle</u>:** Keep all data for $t \geq 2{,}000$ hours

DCA in 5 Easy Steps

- Convert chromaticity data to relative chromaticity u', v' → δu', δv'

- Calculate differential chromaticities δu'*, δv'*

- Calculate linear fit of differential chromaticities for t ≥ 2,000 hours

- Use linear fit data to project change rate of chromaticity coordinates

- Calculate future relative chromaticity coordinates

Mathematical Translation

- Calculate relative chromaticities
  - $\delta u'_t = u'_t - u'_o$
  - $\delta v'_t = v'_t - v'_o$
- Calculate differential chromaticities
  - $\delta u_t'^* = (\delta u'_t - \delta u'_{t-\Delta t})/\Delta t$
  - $\delta v_t'^* = (\delta v'_t - \delta v'_{t-\Delta t})/\Delta t$
- Linear fit differential chromaticity data for t ≥ 2,000 hours
  - $\delta u_t'^* = a_{u'}t + b_{u'}$
  - $\delta u_t'^* = a_{v'}t + b_{v'}$
- Project relative chromaticities
  - $\delta u'_{t+\Delta t} = \delta u'_t + \delta u_t'^*\Delta t = \delta u'_t + (a_{u'}t + b_{u'})\Delta t$
  - $\delta v'_{t+\Delta t} = \delta v'_t + \delta v_t'^*\Delta t = \delta v'_t + (a_{v'}t + b_{v'})\Delta t$
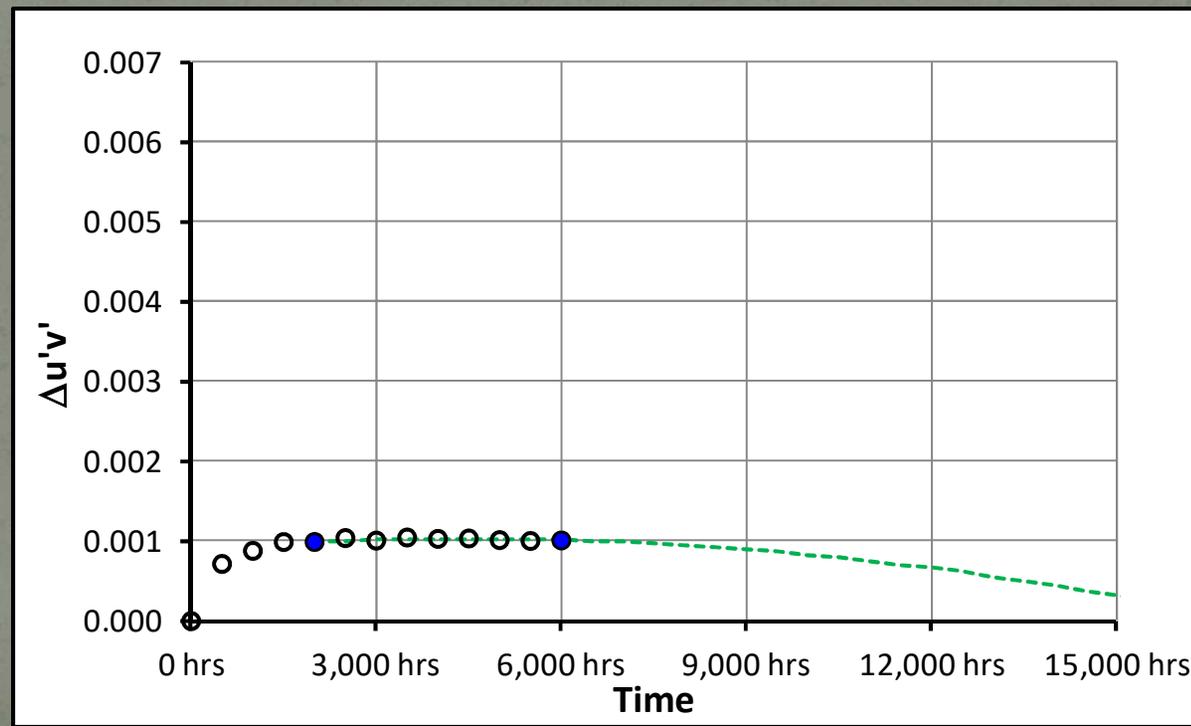
Relative Chromaticity

- Relative chromaticity coordinates shift all LEDs to a common origin
- Simplifies comparisons of different LEDs
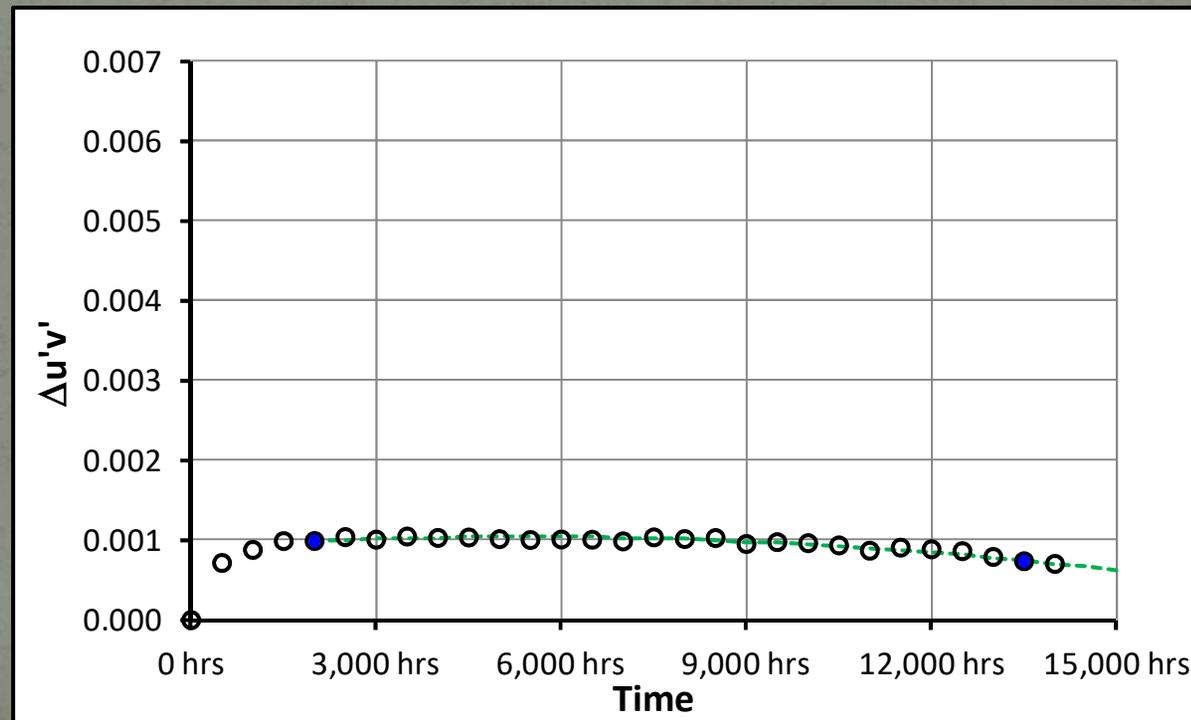- Reducing impact of data drops
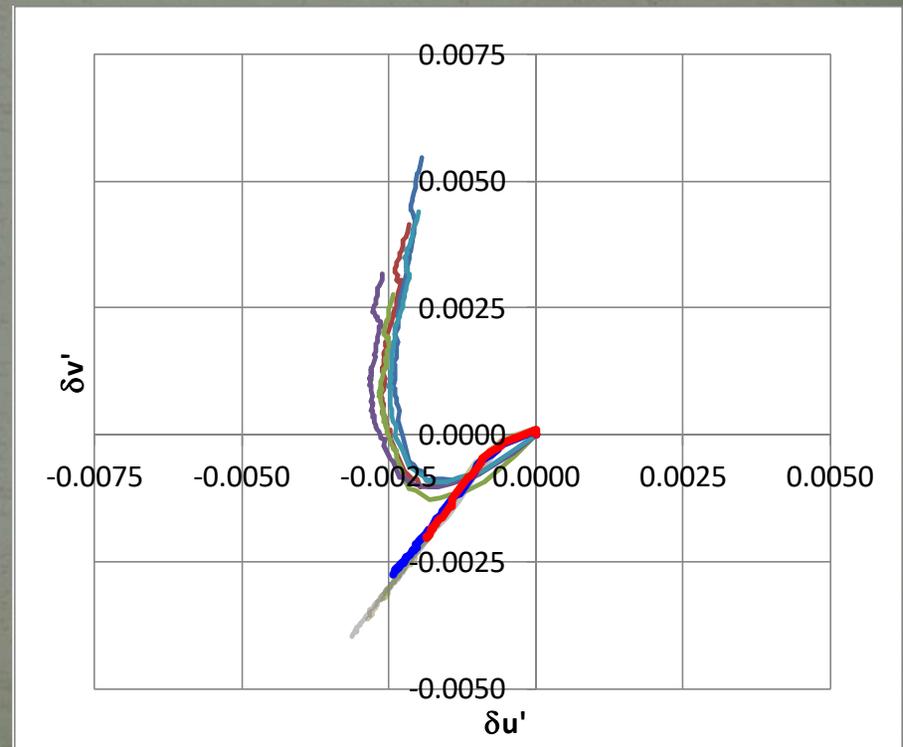
Example 1

- 6,000 hour data shows good stability
- Blue points indicate data analysis window
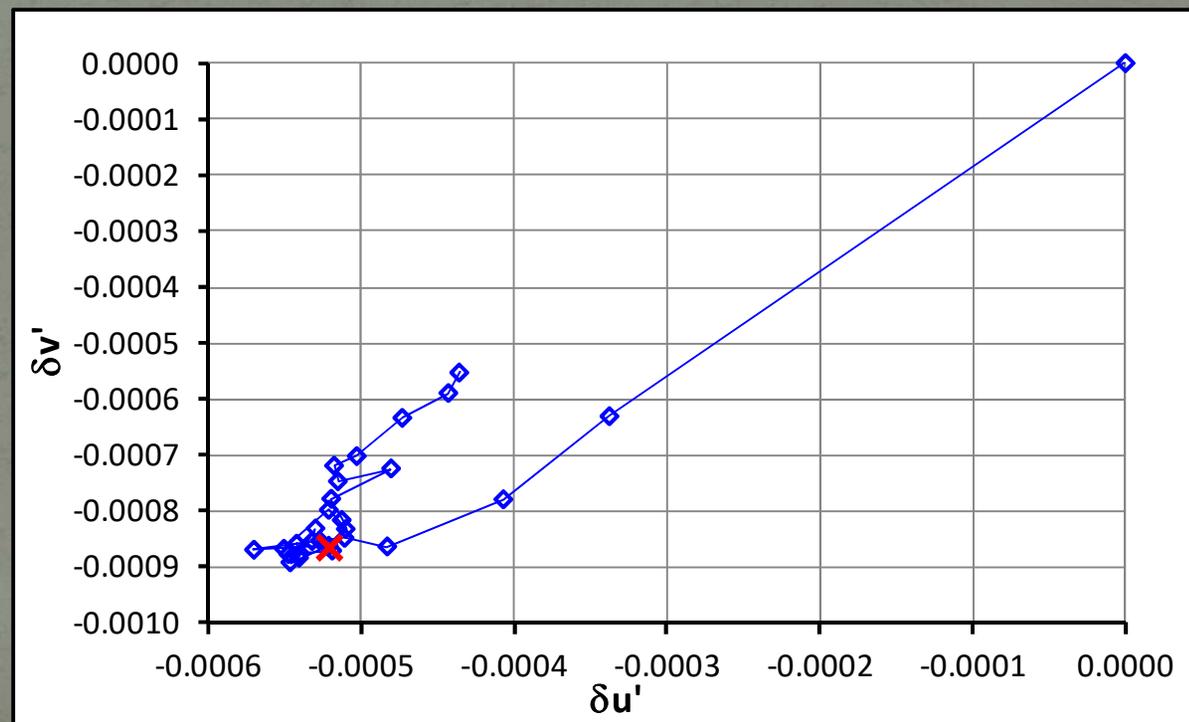- DCA model predicts decreasing trend

Example 1

- Model closely matches data
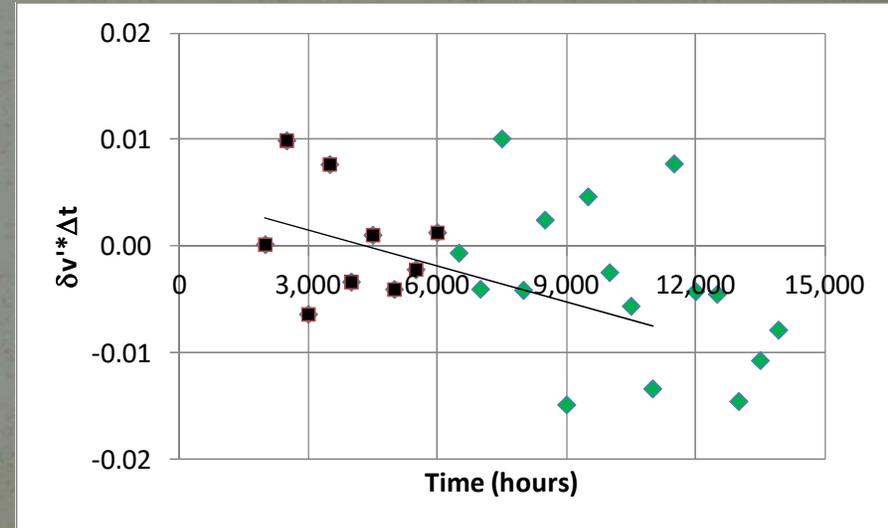- Increasing time interval improves accuracy of prediction with little to no offset over entire data set
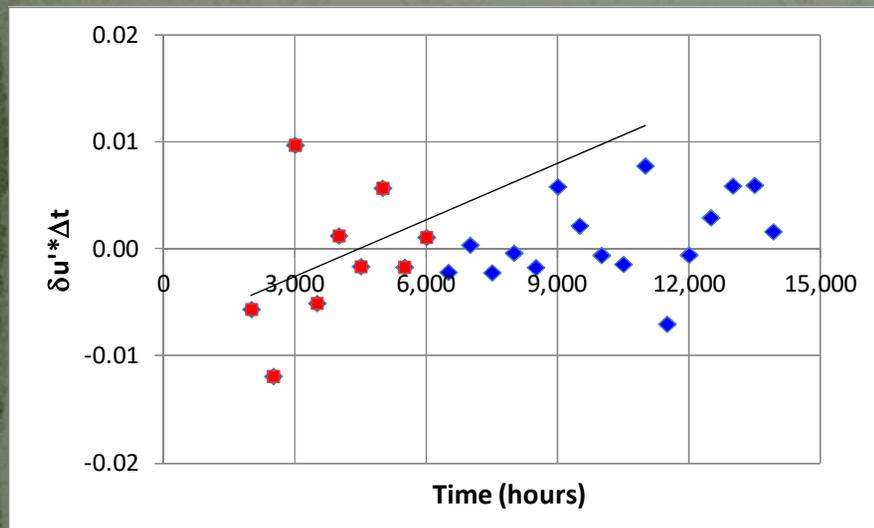
Example 1 – u'v' behavior

- At 6,000 hours chromaticity shift had virtually ceased
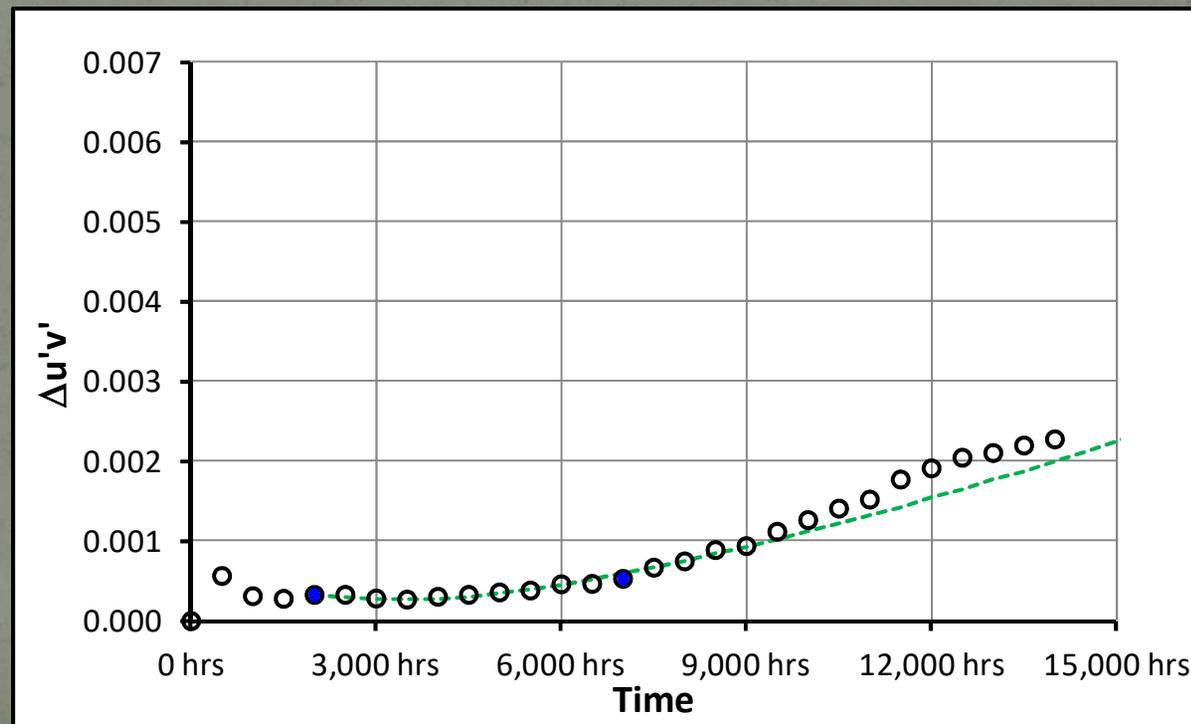- DCA detected a future reversal

Example 1

- δu'* & δv'* only approximately linear, but still give excellent results
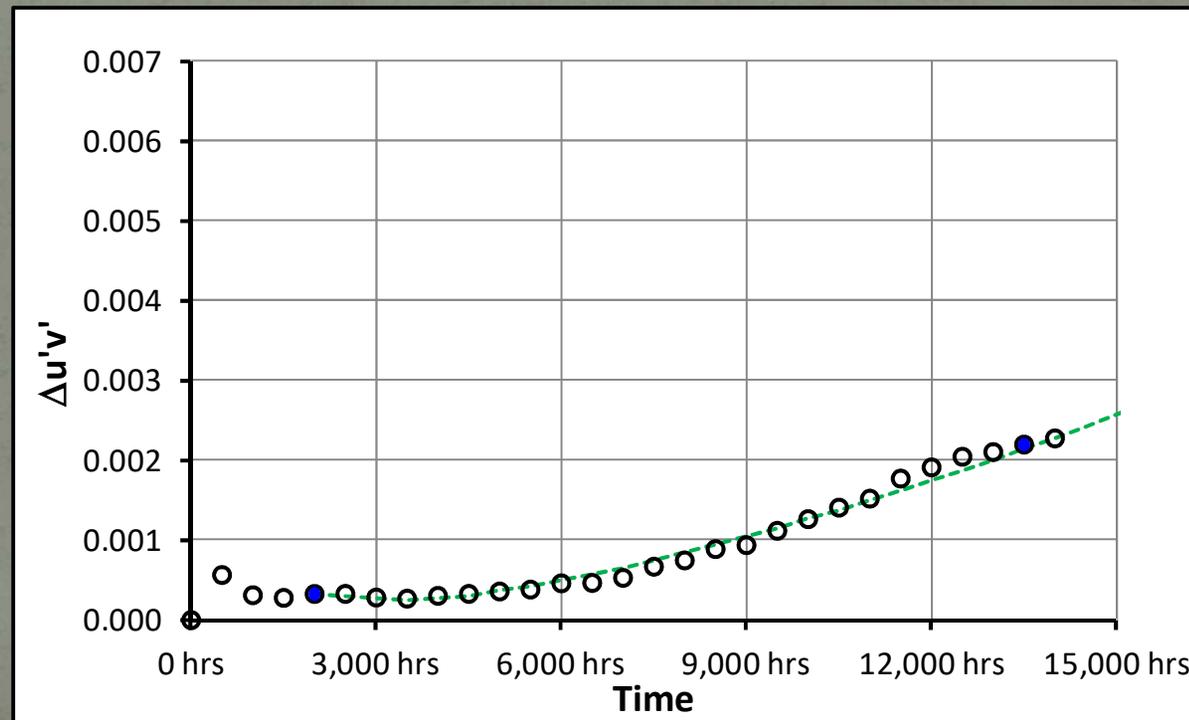- Errors in one parameter compensated by errors in the other

Example 2

- 7,000 hour data shows exceptional stability
- DCA model predicts decreasing trend
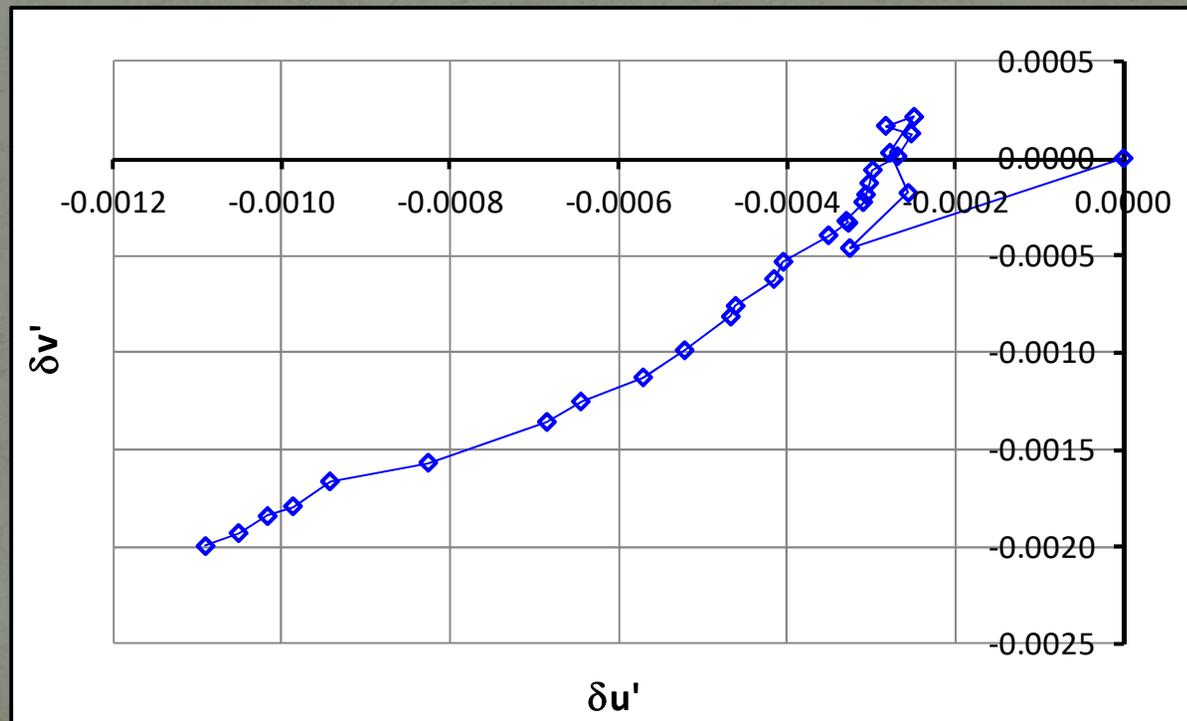- Trend matches future behavior

Example 2

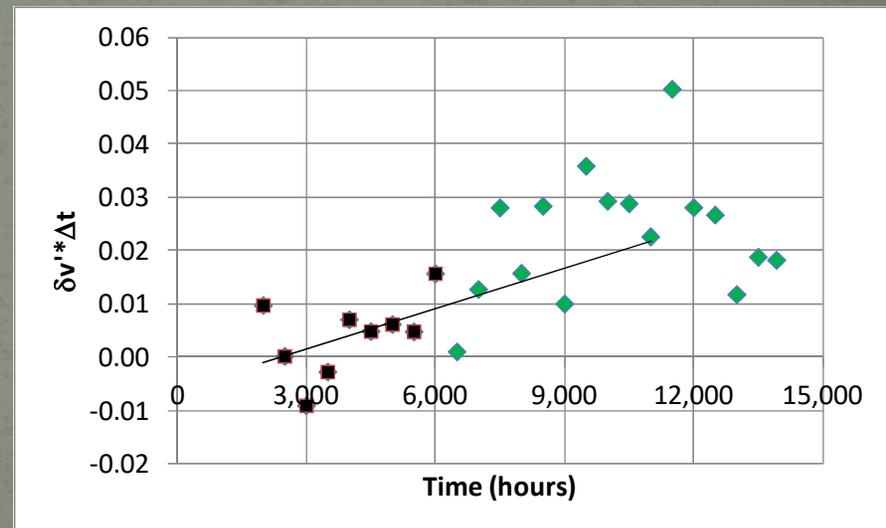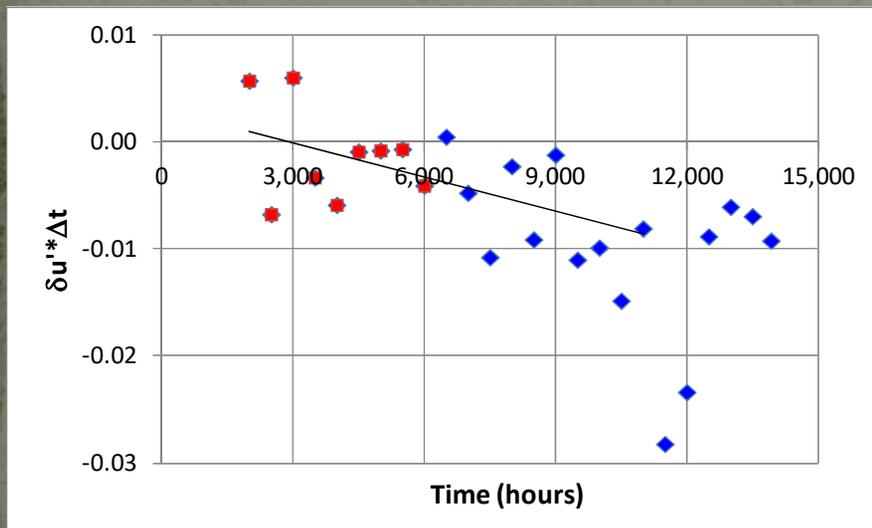- DCA model again provides close fit to the entire data set

Example 2 – u'v' behavior

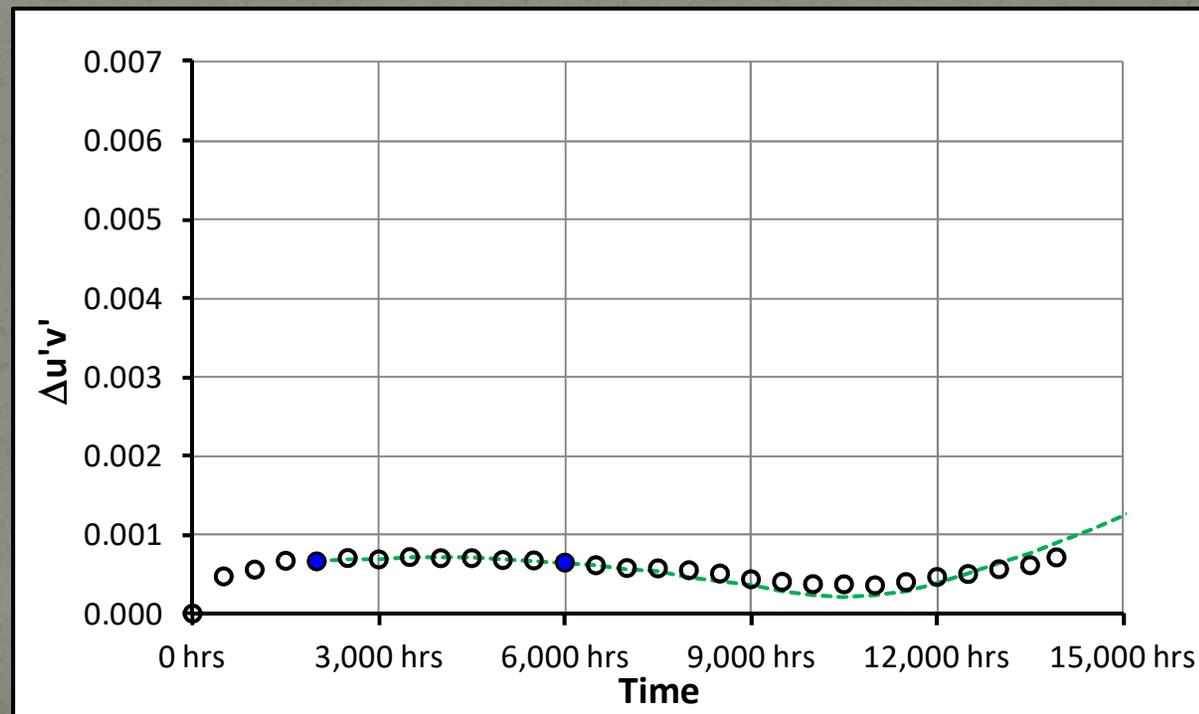- Modeled data included ~ 180° direction change in chromaticity shift behavior

Example 2

- δu'* & δv'* only approximately linear, but still give excellent results
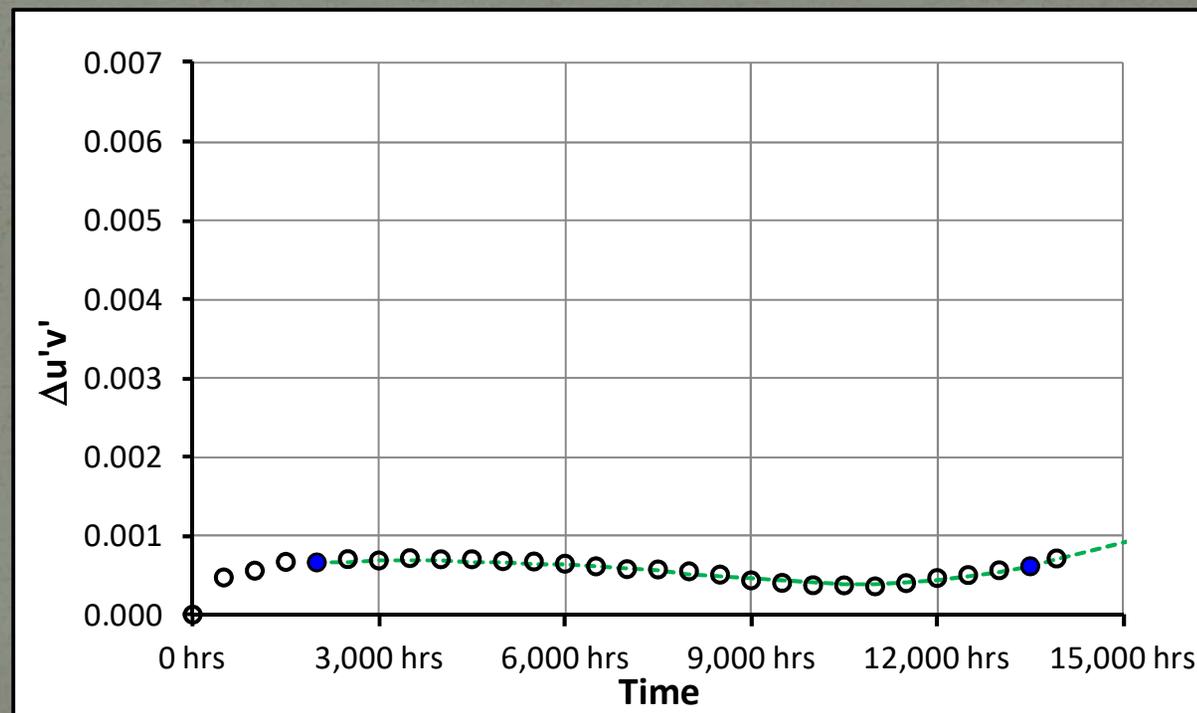- Errors in one parameter compensated by errors in the other

Example 3

- Δu'v' ~constant up to 6,000 hours
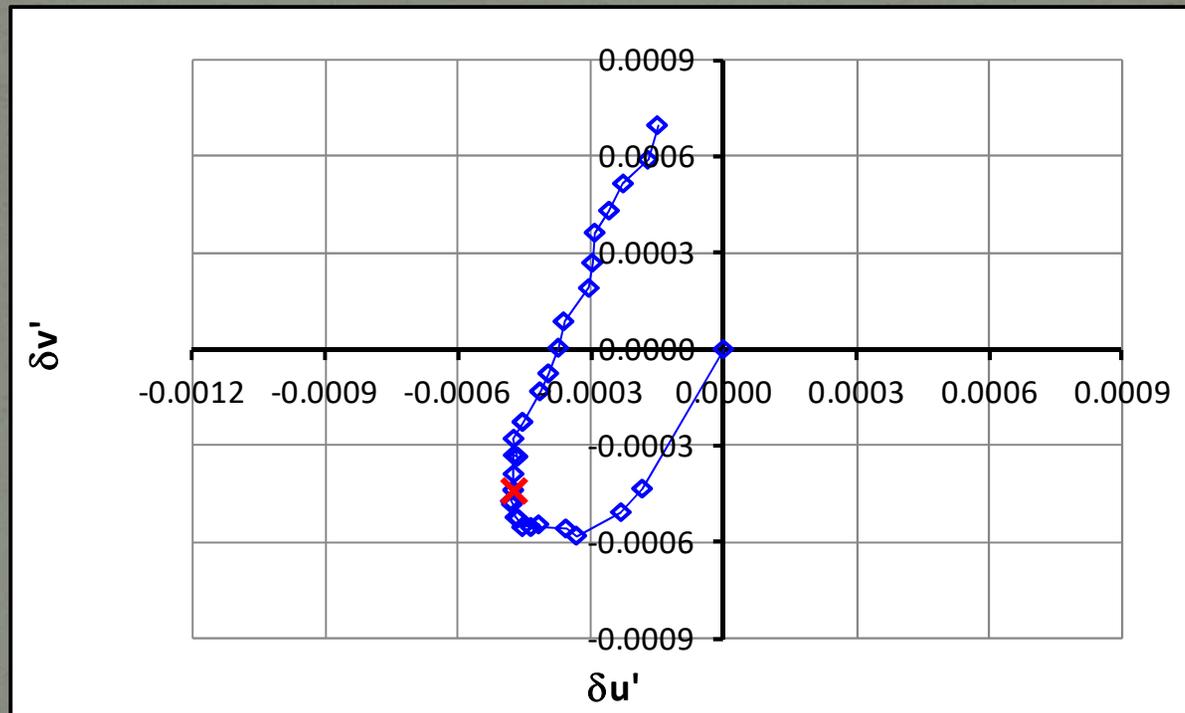- DCA model predicts decrease followed by emergence
- Prediction matches data

Example 3

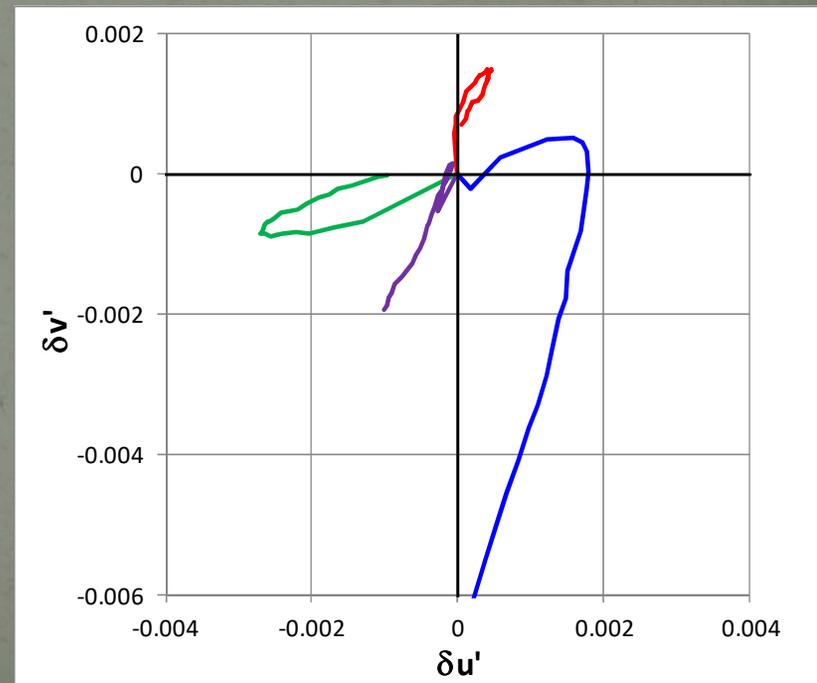- DCA model again provides close fit to the entire data set

Example 3 – u'v' behavior

- Long term trend predicted before firmly established

Model Validation

- IES TM-31 work group has tested model against >200 data sets

- DCA can successfully model a wide range of chromaticity shift behaviors

- Differential parameters allow *prediction* of changes in shift direction

DCA Comments

- Package type and material agnostic
- Powerful predictive capabilities – can predict emergence
- Able to accurately model large time spans of complicated data
- Inherently unstable model – it will always give finite values for CS7; estimates converge as more data is included in the analysis
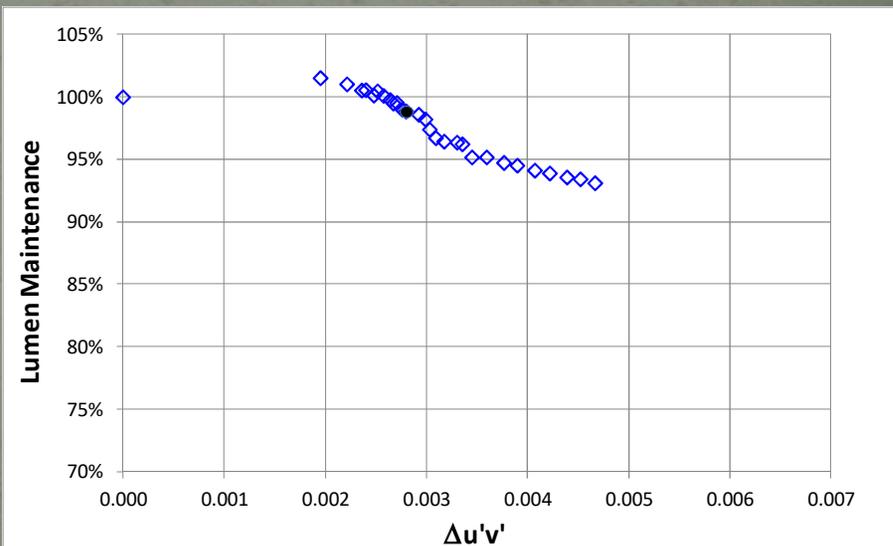- Advanced versions of model chromaticity behavior that stabilizes

Showing Data

- LED output may fail for lumen maintenance or chromaticity shift
- Plotting data on same graph illustrates why we should be very concerned about chromaticity shifts
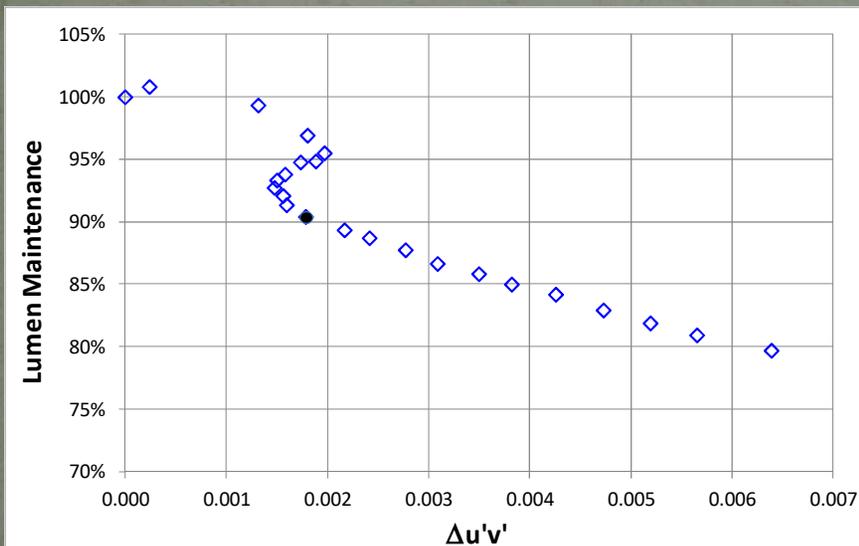
Measured
CS7 = 12,100 hrs, LM = 78.5%

Predicted
CS7 = 21,270 hrs, LM = 87.5%

Acknowledgements

- PNNL
- Ralph Tuttle
- Lynn Davis

Thank you

Questions????